# Multi-Higgs Phenomenology at the LHC







#### Background and motivation

The Standard Model of Particle Physics **FERMIONS** (matter particles) **BOSONS** (force carriers)

The Standard Model (SM) of particle physics stands as a remarkable triumph in our quest to comprehend the intricacies of the universe. It accurately explains the behaviour of natural phenomena over a broad range of energy scales.

Nevertheless, it is clearly incomplete, as it cannot ac-

The minimality of the SM Higgs sector is not guaranteed by any theoretical principle or symmetry.

▶ ATLAS and CMS analysis show excesses for neutral scalar particles with masses  $\approx$  152 GeV and  $\approx$  95 GeV.



 $Z_6$ H  $\int_{1}^{T} H_{1} + Z_{7}H$  $\int_2^{\tau_1}$ H<sub>2</sub>

count for all the phenomenology witnessed.

Data suggests associated production for 152 GeV scalar. This signature is not yet fully explored at the LHC. ▶ The excesses at 152 GeV, are further supported by the multi-lepton anomalies, namely deviations observed in processes involving multiple leptons and missing energy in the final state.

The Large Hadron Collider (LHC) at CERN has the best potential to unveil new physics (NP) during its upcoming Run 3 and High-Luminosity phase.

We construct and perform detailed phenomenological analysis of NP models to explain such excesses.

#### Hints for New Higgs Bosons

Extension of the SM with an additional  $SU(2)_L$  triplet scalar with hypercharge  $Y = 0$ , referred to as  $\Delta SM$ .  $\blacktriangleright$  The field  $\Delta$  contains two new Higgs bosons:  $\Delta^0$ ,  $\Delta$ ± .

 $|d_n| \leq 10^{-28} e$  cm (prospect)  $\Box$  0.1% < Br[ $A \rightarrow \gamma \gamma$ ]  $\le 0.5\%$  $\Box$  0.5% < Br[ $A \rightarrow \gamma \gamma$ ]  $\le 1\%$  $1\% < Br[A \rightarrow \gamma \gamma] \le 4\%$ 

- The model contains four additional scalars:  $\mathbb{CP}\text{-even}$  (H), CP-odd (A), charged (H ± ).
- The  $Z_7$  coupling enhances the Br( $H/A \rightarrow \gamma \gamma$ ), which is the most sensitive signature for neutral scalars

 $\mathcal{L}_Y = -\overline{Q}_L Y_d (\mathcal{H}_1 + \zeta_d \mathcal{H}_2) d_R - \overline{Q}_L Y_u (\tilde{\mathcal{H}}_1 + \zeta_u^*)$  $\int_u^{\ast}$ H  $\tilde{\vec{z}}$  $\mathcal{L}_2)$   $u_R$  $-L_LY_{\ell}(\mathcal{H}_1+\zeta_{\ell}\mathcal{H}_2)\ell_R + \text{h.c.}$ ,

# Real Higgs Triplet Model

The Yukawa sector avoids Flavor Changing Neutral Currents since Yukawa matrices are proportional to each other by the  $\zeta_u, \zeta_d, \zeta_\ell$  rescaling parameters. The model leads to CP-violation through the complex couplings  $Z_5$ ,  $Z_6$ ,  $Z_7$  in the scalar potential and  $\zeta_w$ ,  $\zeta_d$ ,  $\zeta_\ell$  in the Yukawa sector.

 $\Box d_e \le 4.1 \times 10^{-30} e \text{ cm}$  $\Box$   $|d_p|$   $\leq 10^{-29}$  e cm (prospect)



 $Im(Z_7)$  drives  $Br(A \rightarrow \gamma \gamma)$ and can be correlated with low energy CP-violating observables such as Electric Dipole Moments (EDMs).

## Flavor aligned 2HDM

- 2HDMs are among the best theoretically motivated extensions of the scalar sector (Supersymmetry, Unification, etc. etc.)
	- $V = Y_1$ H †  $\int_1^T \mathcal{H}_1 + Y_2 \mathcal{H}$ †  $2^7\mathcal{H}_2 + [Y_3\mathcal{H}]$  ${}_{1}^{1}\mathcal{H}_{2} + \text{h.c.}$ ] +  $Z_1(\mathcal{H})$ †  $(\mathcal{I}_1^{\dagger} \mathcal{H}_1)^2 + Z_2(\mathcal{H}_2^{\dagger})$  $(\frac{1}{2}\mathcal{H}_2)^2 + Z_3(\mathcal{H}_1^{\dagger})$  $\int_1^{\tau} \mathcal{H}_1$ ) (H †  $\int_2^{\tau_1} \mathcal{H}_2$  $+ Z_4(\mathcal{H})$ †  $\int_1^{\tau} H_2$ ) (H †  $2^{7}H_{1}) + {Z_{5}(H)}$ †  $(\begin{bmatrix} \dagger & \mathcal{H}_2 \end{bmatrix})^2$ +  $\lceil$ † † i H  $i\mathcal{H}_2 + h.c.$

### Phenomenology

- Theoretical predictions face experimental data through simulations using software: Model Building (**FeynRules**), Event Generator (**MadGraph5aMC@NLO**, **Pythia8**) and Detector Simulations (**Delphes**, **ROOT**).
- Testing an NP model requires an understanding of the
- Breaking (slightly) custodial symmetry  $\implies$  enhancement of  $m_W$  induced via  $\langle \Delta \rangle = v_\Delta \approx O(\text{GeV})$ .



experimental searches: coding (**C++**) and statistical analysis are fundamental to interpreting the data.

#### Curious in a project? JOIN US!



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